

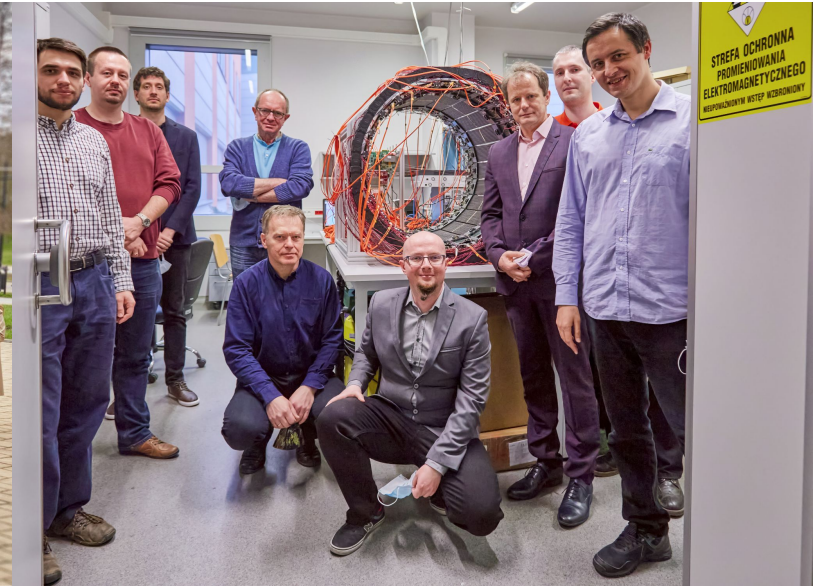


# J-PET: a new experimental facility for studies of discrete symmetries in charged leptons sector

Szymon Niedźwiecki on behalf of the J-PET collaboration  
18.05.2021 Meson 2021, Kraków, Poland

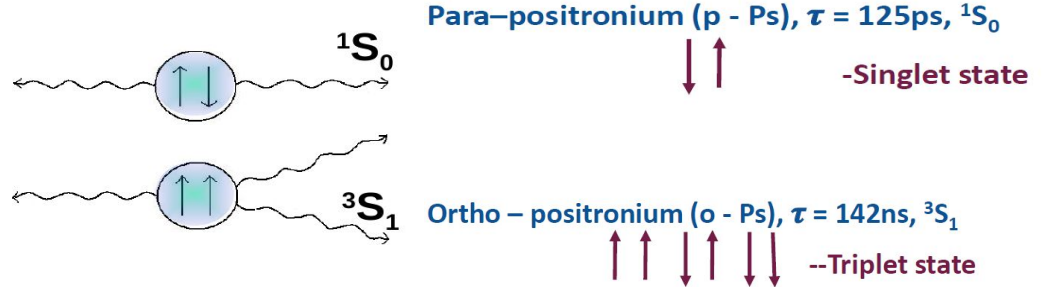
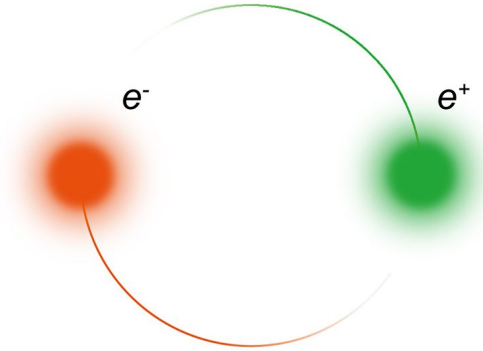
# Plan of presentation

1. C-symmetry violation in positronium decay
2. J-PET detector overview
3. Preliminary results



# Positronium

- POSITRONIUM - the lightest purely leptonic object



- symmetric under the exchange of particles - anti-particles -> is eigenstate of the charge conjugation op. C

$$C|Ps\rangle = (-1)^{L+S}|Ps\rangle$$

eigenvalue of n photons  $(-1)^n$

due to Charge Conjugation C



$$|^1S_0\rangle \rightarrow 2\gamma, 4\gamma, \dots \quad |^3S_1\rangle \rightarrow 3\gamma, 5\gamma, \dots$$

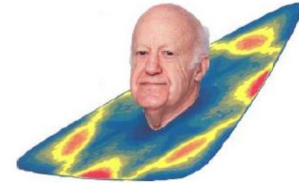
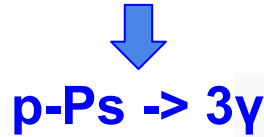
even number of photons

odd number of photons

We can study **positronium decay to 3 $\gamma$**   
with the **Dalitz Plot**

# Charge Conjugation Symmetry Test

Study the **C symmetry** in the **leptonic system** searching for the C-forbidden decays of the POSITRONIUM



Imago credit: Mike Pennington

## C-symmetry:

- C-symmetry is violated in weak interactions

$$\nu_L \xrightarrow{C} \bar{\nu}_L$$

**Left handed antineutrino does not exist!**

- the best limit of the C-symmetry violation in the system of quarks (EM interactions)

$$\frac{\pi^0 \rightarrow 3\gamma}{\pi^0 \rightarrow 2\gamma} < 3.1 \times 10^{-8} \quad 90\% \text{ cl}$$

[PDG] P.A. Zyla et al., *Prog. Theor. Exp. Phys.* 2020, 083C01 (2020)

- according to the SM predictions,  $\gamma$ - $\gamma$  interaction or weak interaction can mimic the symmetry violation of the order of  $10^{-9}$  and  $10^{-14}$ , respectively

*Phys. Rev. A 37, 3189 (1988), Z. Phys. C 41, 143 (1988), M. S Sozzi "Discrete Symmetries and CP violation"*

# Charge Conjugation Symmetry Test

Study the **C symmetry** in the **leptonic system** searching for the C-forbidden decays of the POSITRONIUM

↓  
**p-Ps → 3γ**

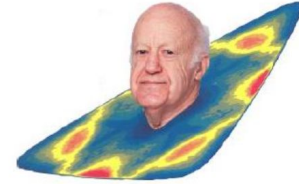


Image credit: Mike Pennington

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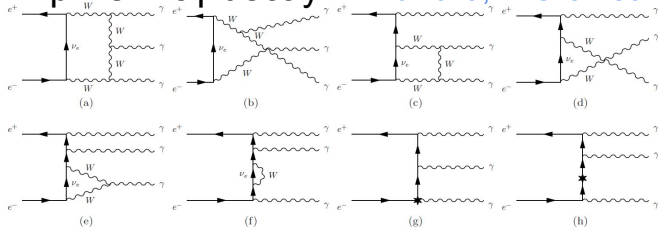
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[PDG] P.A. Zyla et al., *Prog. Theor. Exp. Phys.* 2020, 083C01 (2020)

- p-Ps → 3γ can proceed through weak interactions - calculations with W-boson contribution to the p-Ps → 3γ decay /A. Pokraka, A. Czarnecki, *Phys Rev. D* 96, 093002 (2017)/



$$\text{Br}(p\text{-Ps} \rightarrow 3\gamma; W\text{-loops}) = \frac{\Gamma(p\text{-Ps} \rightarrow 3\gamma; W\text{-loops only})}{\Gamma(p\text{-Ps} \rightarrow 2\gamma)} \approx 4.4 \cdot 10^{-77}$$

# Charge Conjugation Symmetry Test

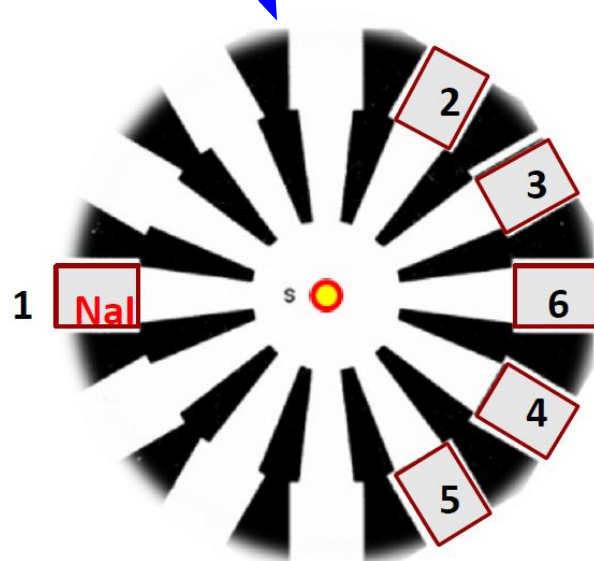
- experimental tests of C-symmetry in Ps decays

$$\text{BR}(o\text{-Ps} \rightarrow 4\gamma / o\text{-Ps} \rightarrow 3\gamma) < 2.6 \times 10^{-6} \quad \text{at} \quad 90\% \text{ C.L.} \quad [1] \text{ J. Yang et al., Phys. Rev. A 54, 1952 (1996)}$$

$$\text{BR}(p\text{-Ps} \rightarrow 3\gamma / p\text{-Ps} \rightarrow 2\gamma) < 2.8 \times 10^{-6} \quad \text{at} \quad 68\% \text{ C.L.} \quad [2] \text{ P. Mills, S. Berko, Phys. Rev. Lett. 18, 420 (1967)}$$

$$\text{BR}(p\text{-Ps} \rightarrow 5\gamma / p\text{-Ps} \rightarrow 2\gamma) < 2.7 \times 10^{-7} \quad \text{at} \quad 90\% \text{ C.L.} \quad [3] \text{ P. Vetter, S. Freedman, Phys. Rev. A 66, 052505 (2002)}$$

*the best limit for p-Ps → 3γ*

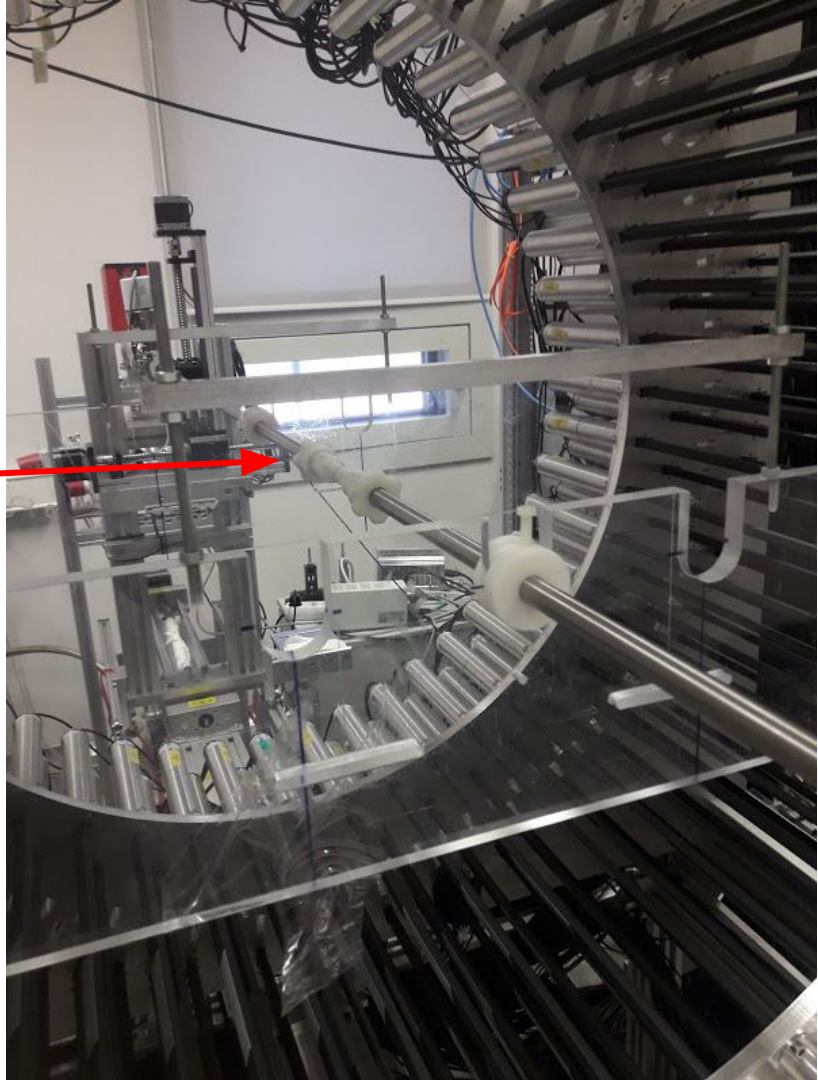
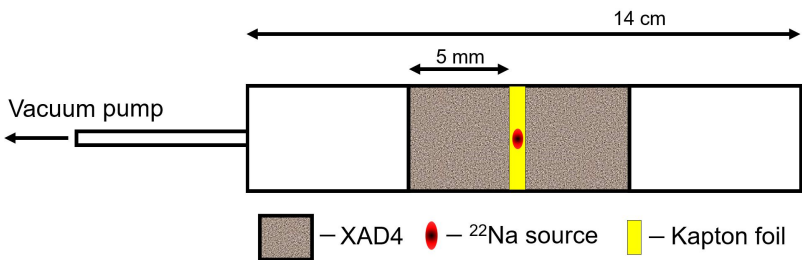
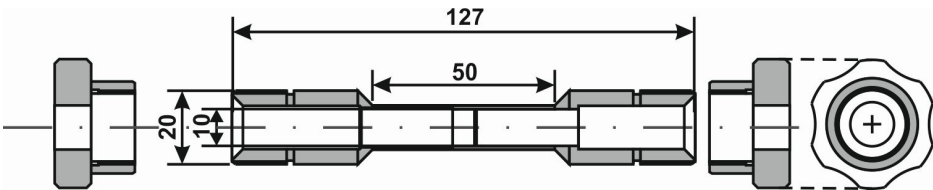


- $\text{Cu}^{64}$  source (in gas chamber)
- 6 NaI(Tl) scintillators, multiple coinc. electronics
- NO quenching to suppress o-Ps-3γ
- the C forbidden p-Ps-→3γ decay separated from the allowed o-Ps-→3γ decay by studying angular distribution of 3 photons:
  - symmetric configuration (120°, 120°, 120°)
  - 60°, 150°, 150°
  - 90°, 120°, 150°

due to Bose statistic assumption  
C-nonconserving p-Ps-→3γ must vanish

# J-PET detector overview

Small annihilation chamber used for production of positronium:



# J-PET detector overview



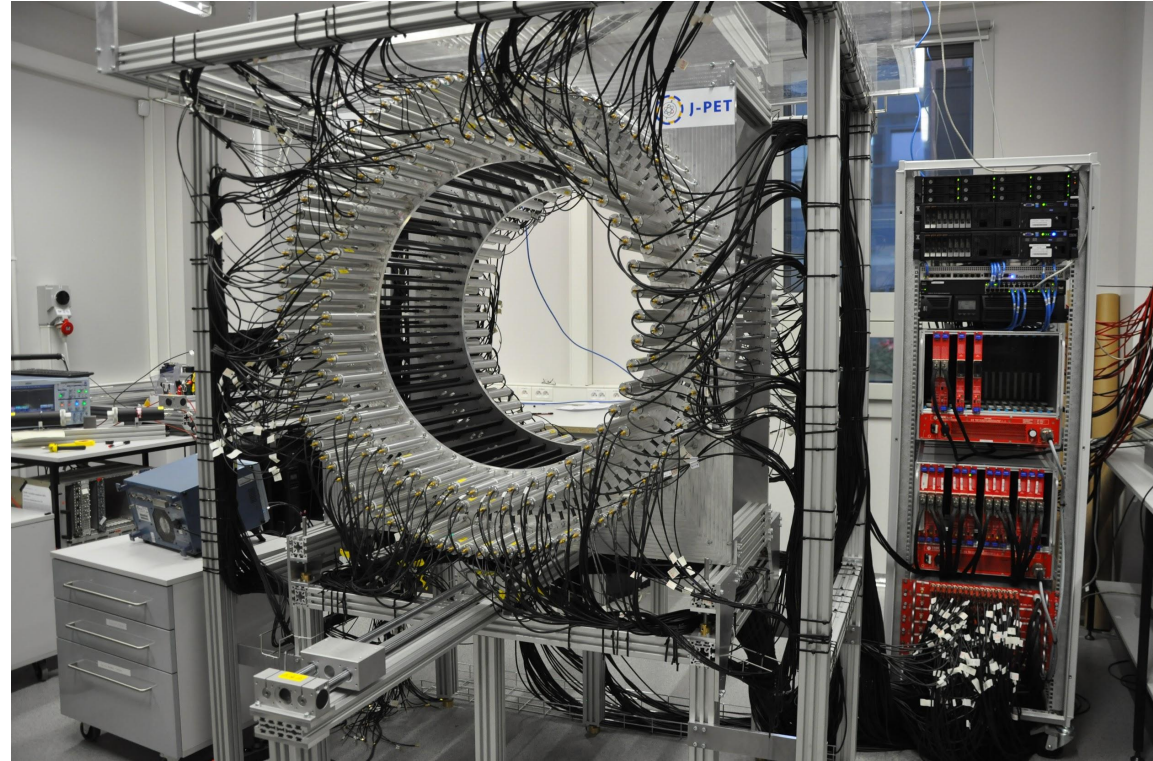
192 BC420 scintillators

$7 \times 19 \times 500 \text{ mm}^3$

85 cm radius

384 R9800 photomultipliers

1536 channels





# J-PET detector overview



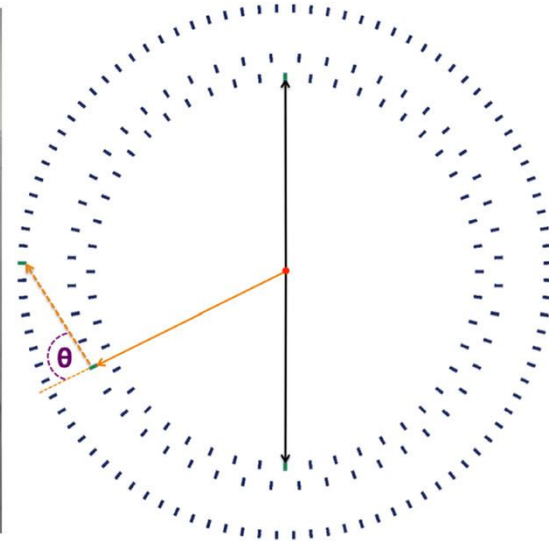
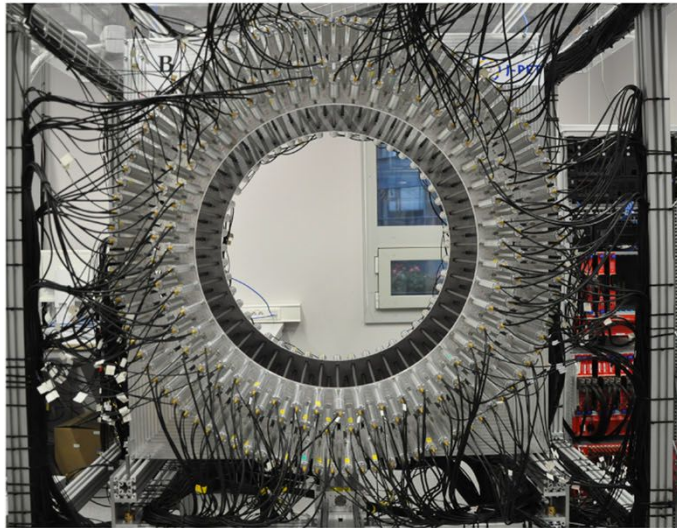
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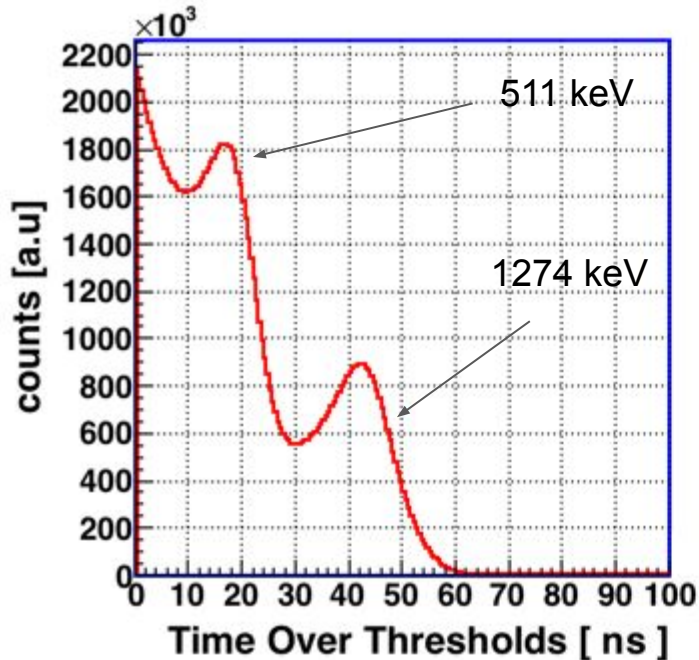
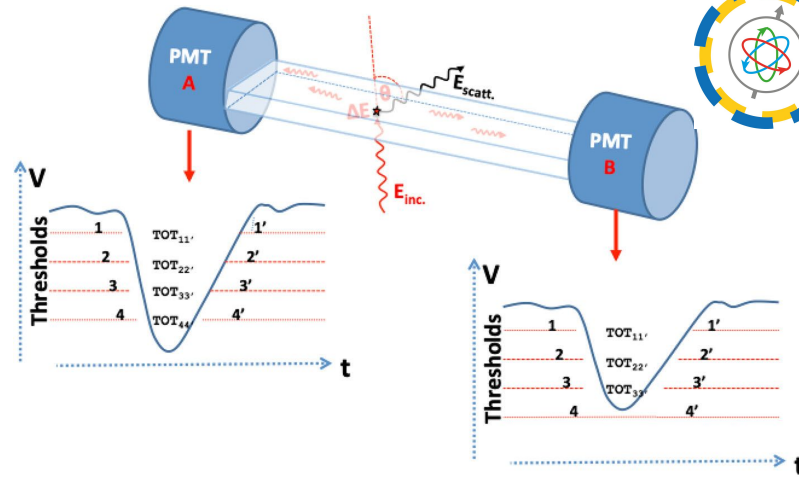
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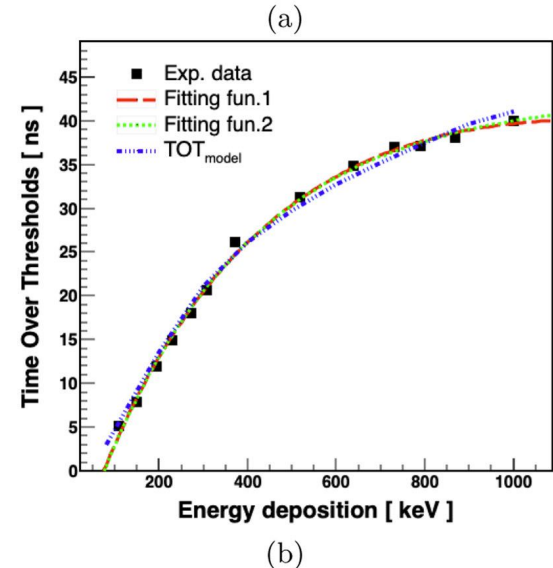


# Detector performance: Time Over Threshold



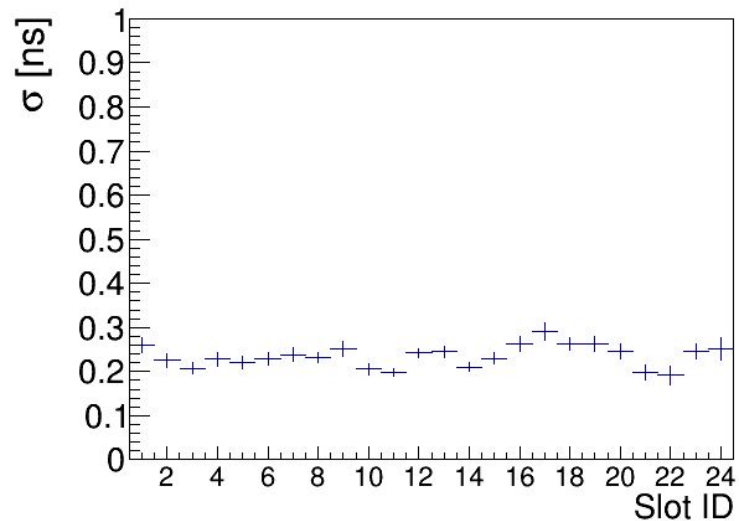
Courtesy of  
S. Sharma

[EJNMMI Phys. 7, 39 \(2020\)](#)



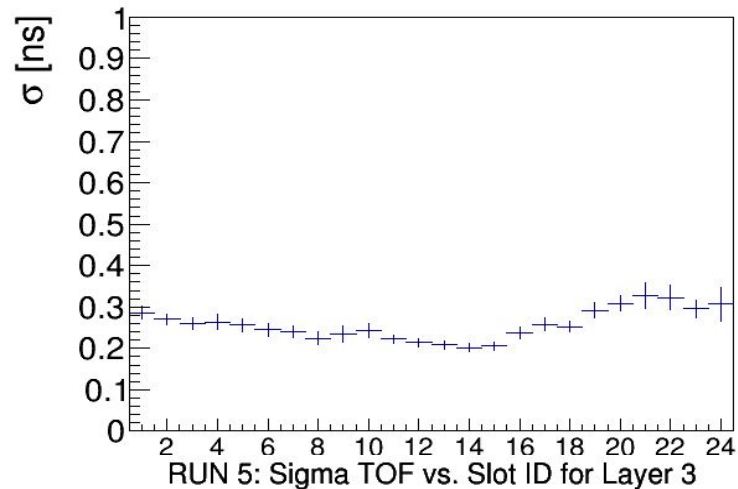
# Detector performance: time resolution (p-Ps)

RUN 5: Sigma TOF vs. Slot ID for Layer 2

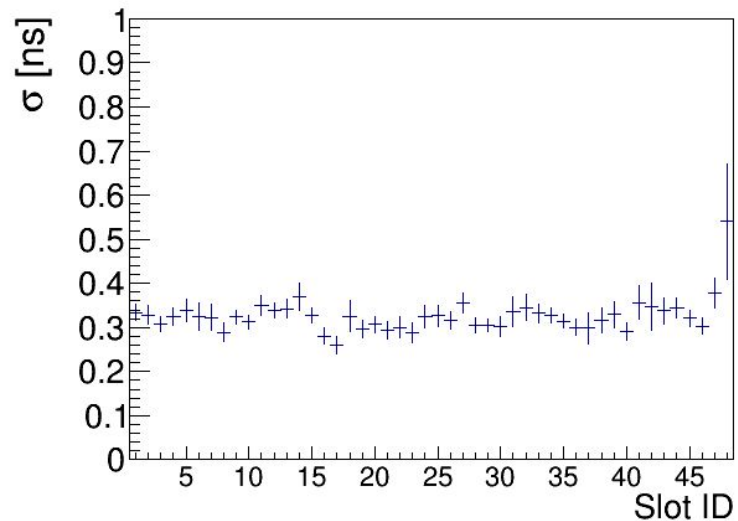


Courtesy of  
M. Skurzok

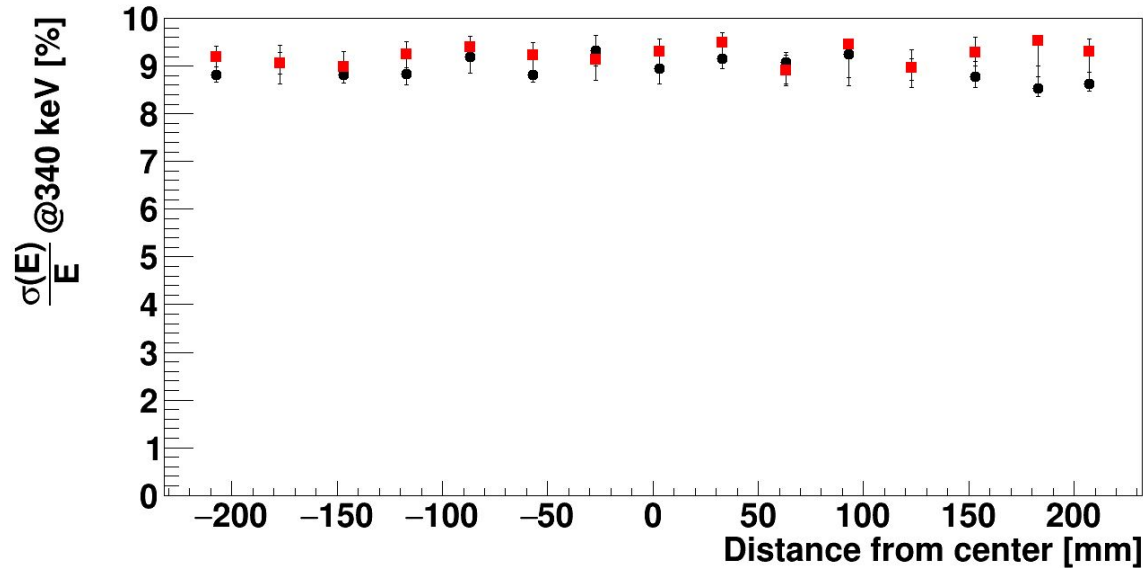
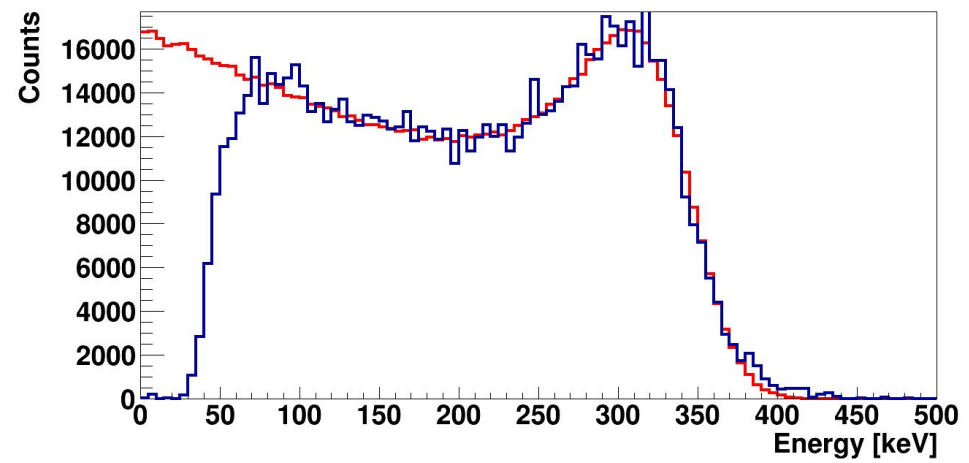
RUN 5: Sigma TOF vs. Slot ID for Layer 1



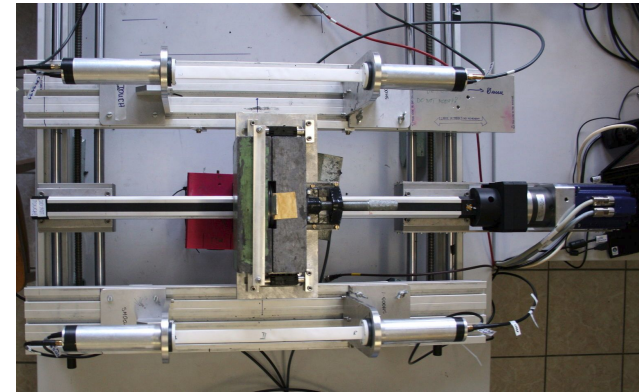
RUN 5: Sigma TOF vs. Slot ID for Layer 3



# Detector performance: energy resolution (p-Ps)



Results from 2 strip studies:



# J-PET detector overview

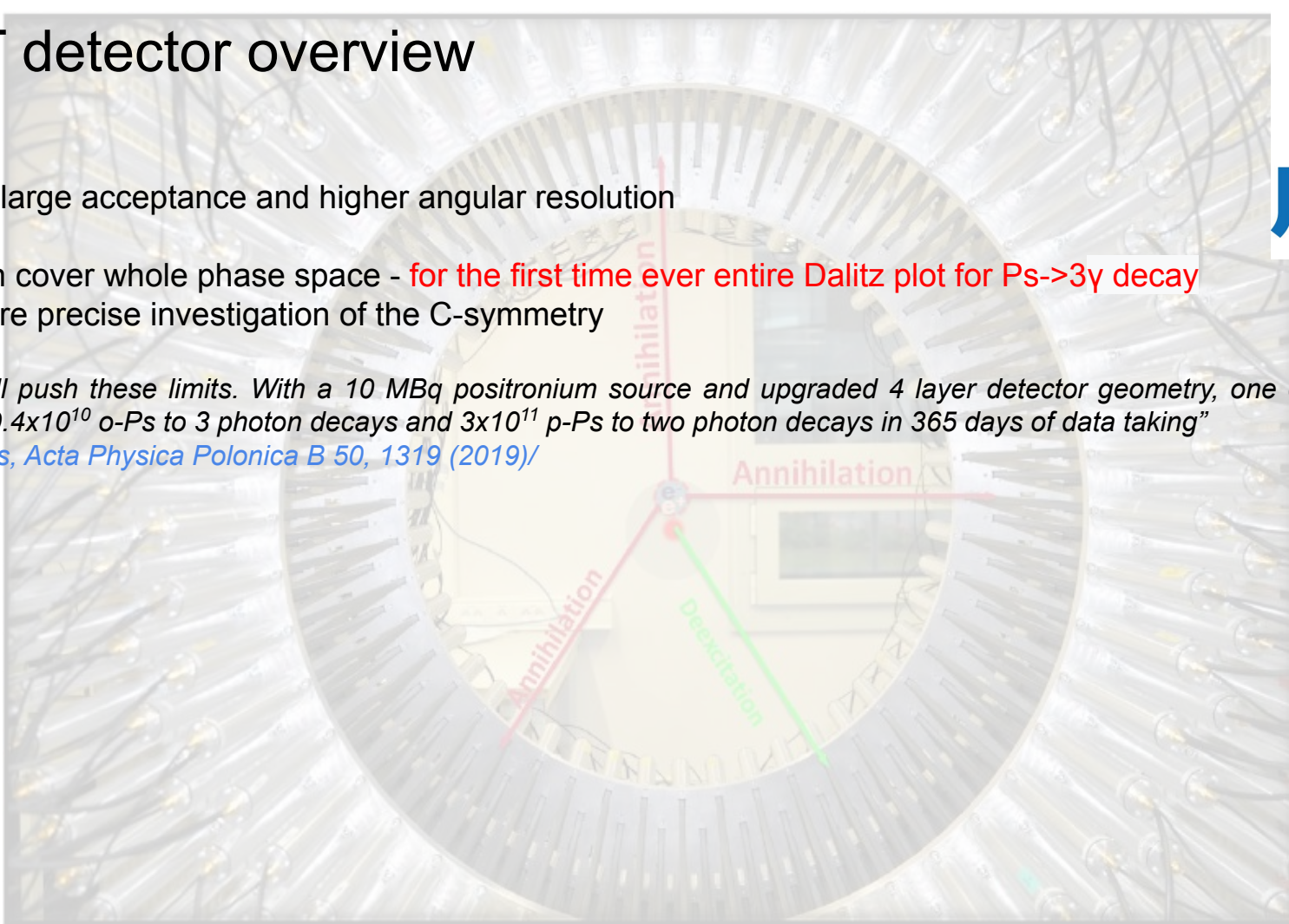


**J-PET** - large acceptance and higher angular resolution

- can cover whole phase space - **for the first time ever entire Dalitz plot for  $P_s \rightarrow 3\gamma$  decay**
- more precise investigation of the C-symmetry

*“J-PET will push these limits. With a 10 MBq positronium source and upgraded 4 layer detector geometry, one expects to measure  $9.4 \times 10^{10}$  o- $P_s$  to 3 photon decays and  $3 \times 10^{11}$  p- $P_s$  to two photon decays in 365 days of data taking”*

*/S. D. Bass, Acta Physica Polonica B 50, 1319 (2019)/*



# J-PET detector overview



**J-PET** - large acceptance and higher angular resolution

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- more precise investigation of the C-symmetry

*“J-PET will push these limits. With a 10 MBq positronium source and upgraded 4 layer detector geometry, one expects to measure  $9.4 \times 10^{10}$  o-Ps to 3 photon decays and  $3 \times 10^{11}$  p-Ps to two photon decays in 365 days of data taking”*

*/S. D. Bass, Acta Physica Polonica B 50, 1319 (2019)/*

**Rough estimation of o-Ps->3 photon decays gathered up to now:**

231 days of measurement

$28.2 \times 10^6$  o-Ps - from online monitoring spectra in period 22.06.20-1.03.21

for 231 days ->  **$10^{10}$  o-Ps**

# Search for forbidden p-Ps $\rightarrow 3\gamma$ decay

## Simulations:

$$d\Gamma_S^{3\gamma} = \frac{g^2 \Gamma_s^{2\gamma}}{8\alpha^2 (2\pi)^6} (\omega_1 \omega_2 \omega_3)^3 (\Sigma s_i)^2 \left[ \sum_{1 \rightarrow 2 \rightarrow 3} \left( \frac{1}{2} - \omega_3 \right)^2 (\omega_1 - \omega_2)^2 \right] d\theta_{12} d\theta_{13} d\Omega_1 d\varphi_1,$$

forbidden p-Ps  $\rightarrow 3\gamma$

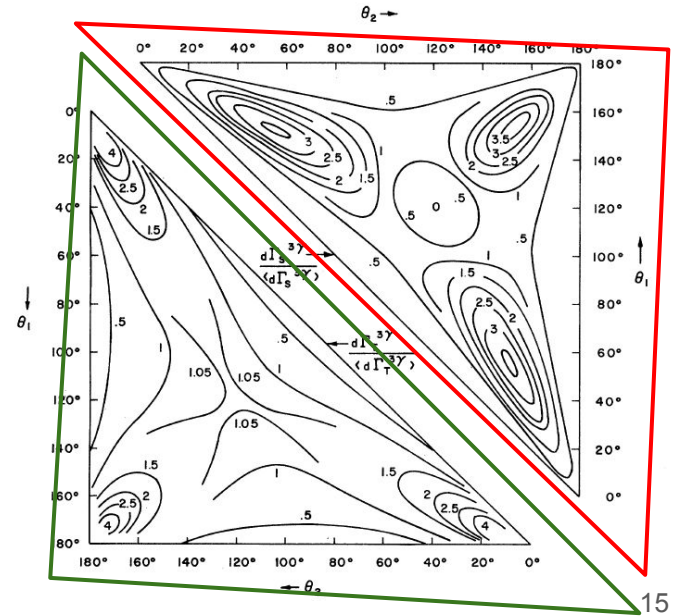
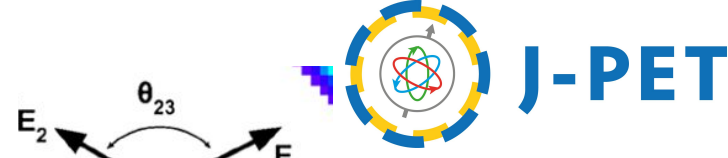
$$\Gamma_S^{3\gamma} = \frac{g^2 \Gamma_s^{2\gamma}}{64\alpha^2 (\pi)^4} \int_0^{1/2} d\omega \int_{1/2-\omega}^{1/2} (\omega_1 \omega_2 \omega_3)^2 (\Sigma s_i)^2 \left[ \sum_{1 \rightarrow 2 \rightarrow 3} \left( \frac{1}{2} - \omega_3 \right)^2 (\omega_1 - \omega_2)^2 \right] d\omega_2$$

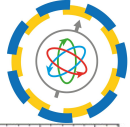
$$d\Gamma_T^{3\gamma} = \frac{8\alpha \Gamma_s^{2\gamma}}{3\alpha^2 (2\pi)^4} (\omega_1 \omega_2 \omega_3)^{-1} \sum_{1 \rightarrow 2 \rightarrow 3} \omega_i^2 \left( \frac{1}{2} - \omega_i \right)^2 d\theta_{12} d\theta_{13} d\Omega_1 d\varphi_1,$$

allowed o-Ps  $\rightarrow 3\gamma$

$$\Gamma_T^{3\gamma} = \frac{4\alpha \Gamma_s^{2\gamma}}{3\pi^2} \int_0^{1/2} d\omega \int_{1/2-\omega}^{1/2} \sum_{1 \rightarrow 2 \rightarrow 3} \left( \frac{1}{2} - \omega_1 \right)^2 / (\omega_2 \omega_3)^2 d\omega_2 \approx 0.898 \cdot 10^{-3} g^2 \Gamma_s^{2\gamma}$$

*P. Mills, S. Berko, Phys. Rev. Lett. 18, 420 (1967)*





## Search for forbidden p-Ps $\rightarrow 3\gamma$ decay

### Simulations:

$$d\Gamma_S^{3\gamma} = \frac{g^2 \Gamma_s^{2\gamma}}{8\alpha^2 (2\pi)^6} (\omega_1 \omega_2 \omega_3)^3 (\Sigma s_i)^2 \left[ \sum_{1 \rightarrow 2 \rightarrow 3} \left( \frac{1}{2} - \omega_3 \right)^2 (\omega_1 - \omega_2)^2 \right] d\theta_{12} d\theta_{13} d\Omega_1 d\varphi_1,$$

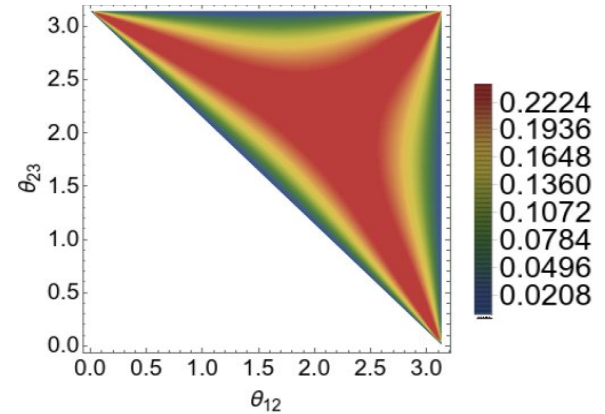
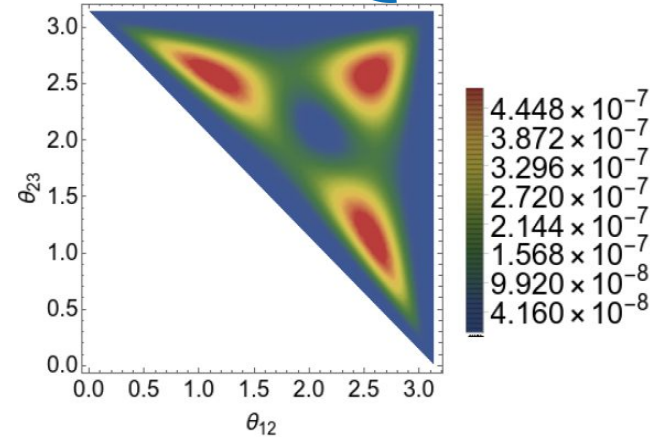
forbidden p-Ps  $\rightarrow 3\gamma$

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allowed o-Ps  $\rightarrow 3\gamma$

$$\Gamma_T^{3\gamma} = \frac{4\alpha \Gamma_s^{2\gamma}}{3\pi^2} \int_0^{1/2} d\omega \int_{1/2-\omega}^{1/2} \sum_{1 \rightarrow 2 \rightarrow 3} \left( \frac{1}{2} - \omega_1 \right)^2 / (\omega_2 \omega_3)^2 d\omega_2 \approx 0.898 \cdot 10^{-3} g^2 \Gamma_s^{2\gamma}$$

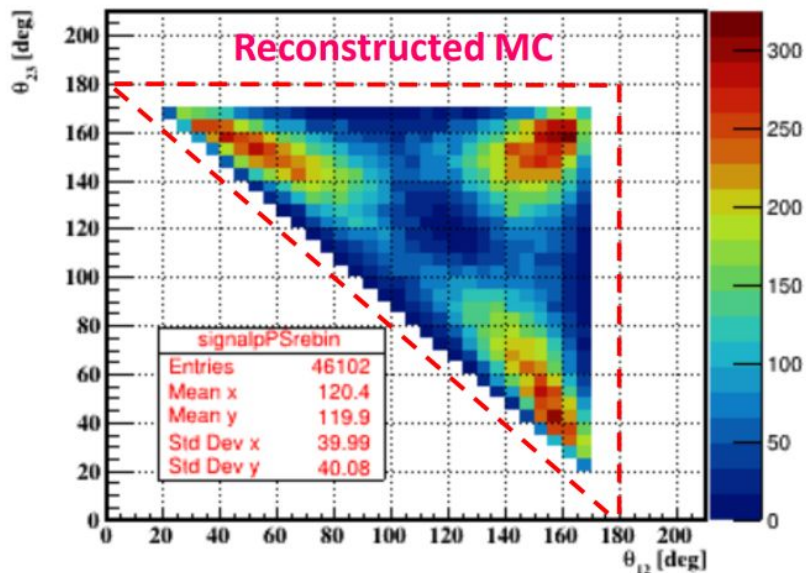




# Search for forbidden p-Ps $\rightarrow 3\gamma$ decay

MC:  $10^8$   
generated

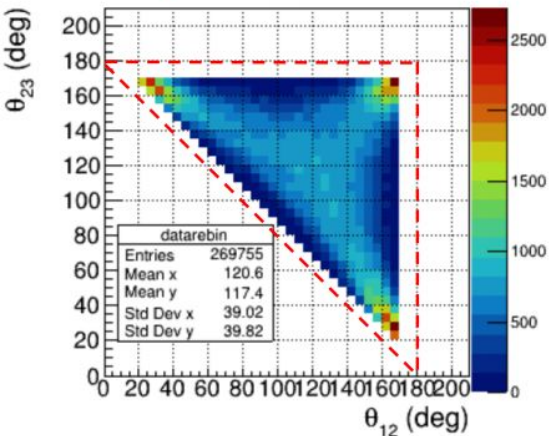
Monte Carlo :  $p - Ps \rightarrow 3\gamma$



- Z- Position of all hits in the detector** – to consider the scintillator active region only. ( $|Z| < 23\text{cm}$ )
- All hits must be on different scintillators** (3 hits – 3 different Scintillator)
- Time Over Thresholds of all Hits** – to separate the annihilation and de-excitation photon ( $1 < \text{TOT} < 17\text{ ns}$ )  
OR  
**Energy deposition of each photon** - to select the annihilation candidate ( $20 < E < 340\text{ keV}$ ) (MC)
- On distance between annihilation plane and the source** - ( $d < 5\text{cm}$ )
- Difference between the third and first hit** -- (corrected with TOF) ( $< 1.5\text{ns}$ )
- Sum of the two smallest angle of o-Ps decaying into  $3\gamma \geq 190^\circ$** -- due to conservation of momentum

# Search for forbidden p-Ps $\rightarrow$ $3\gamma$ decay

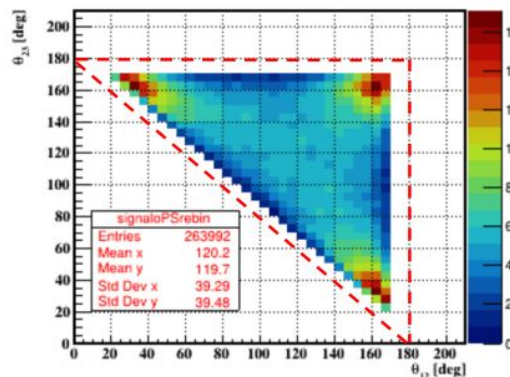
## Experimental Data Run9



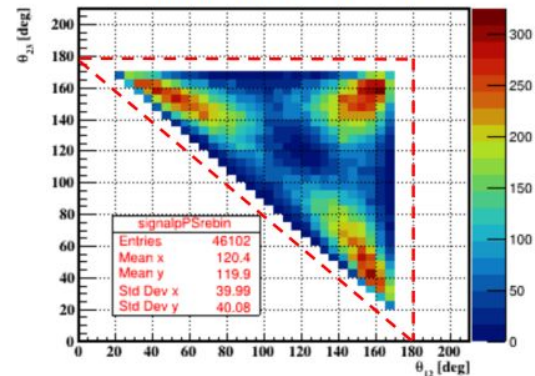
2D

## Simulated Monte Carlo

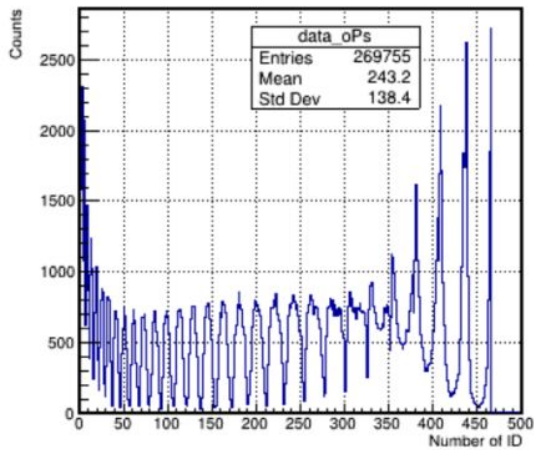
### Monte Carlo o-Ps $\rightarrow$ $3\gamma$



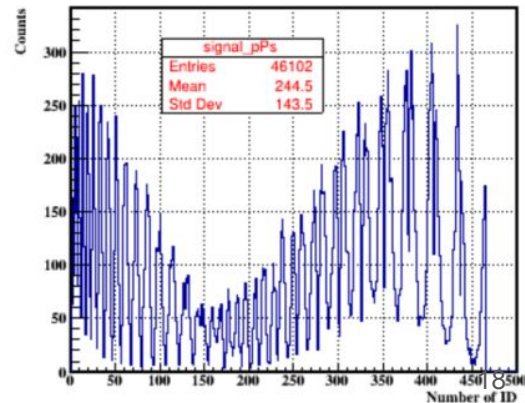
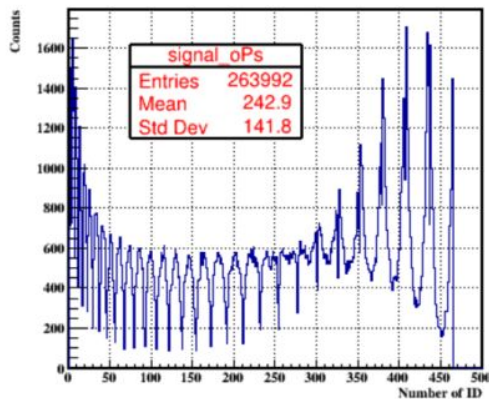
### Monte Carlo :p - Ps $\rightarrow$ $3\gamma$



PRELIMINARY

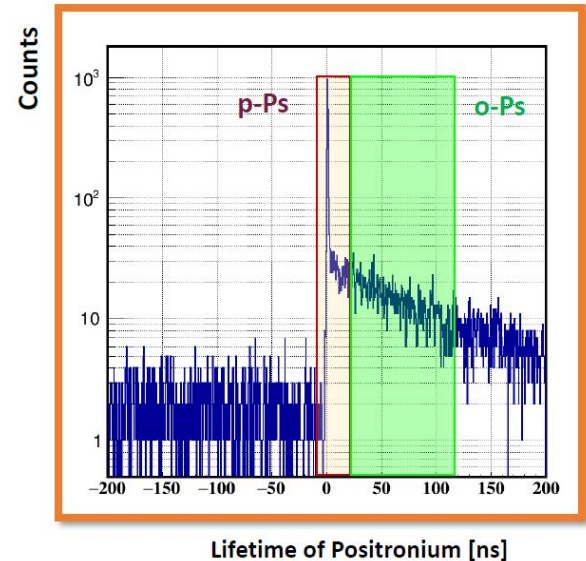
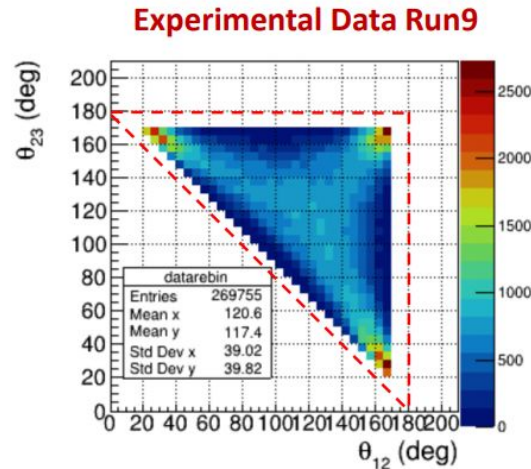


1D



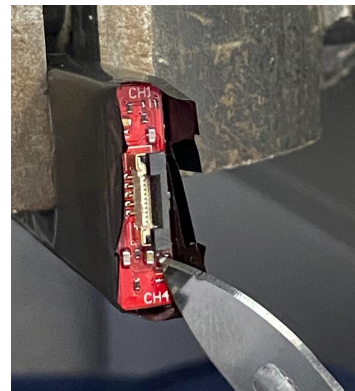
# Summary

- One can study C-symmetry in charged lepton sector by measurement of Dalitz plot for positronium decay
- J-PET group is working on studying  $p\text{-Ps} \rightarrow 3\gamma$  decay using data from custom made annihilation chamber
- Initial results are promising, advanced data analysis is in progress



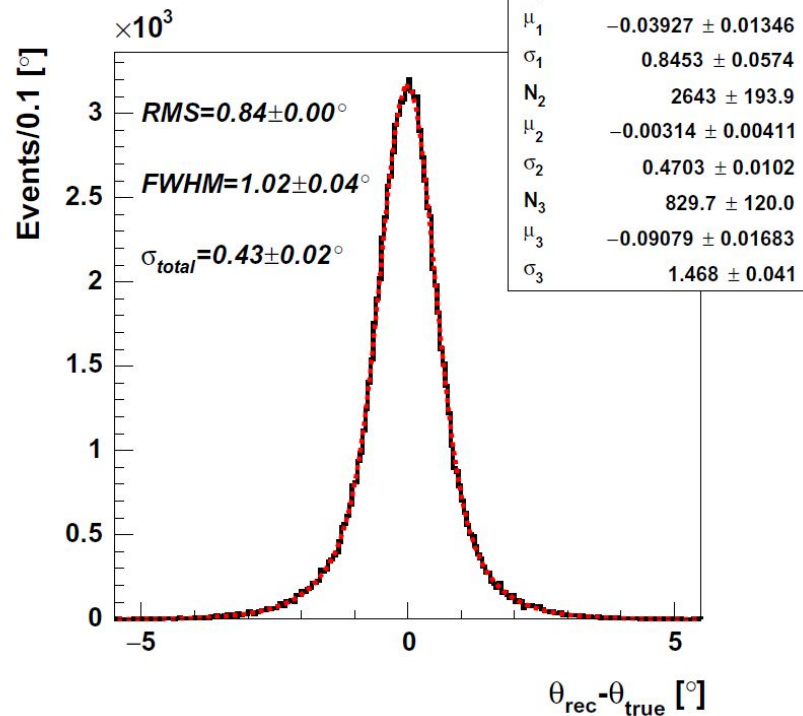
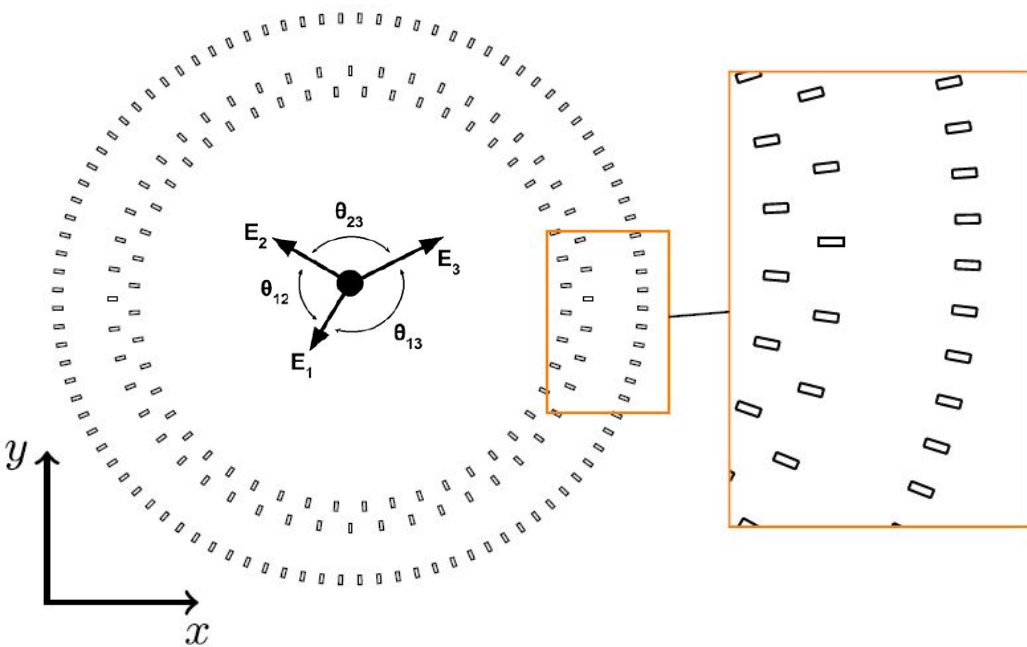


Thank you for your attention



# Backup

# Detector performance: angular resolution (o-Ps)

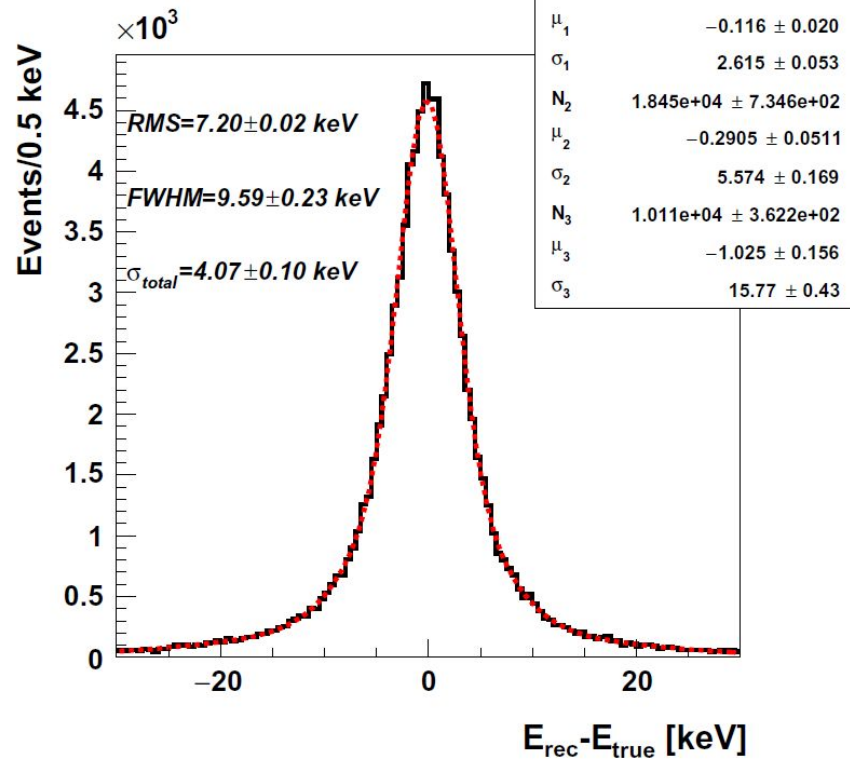
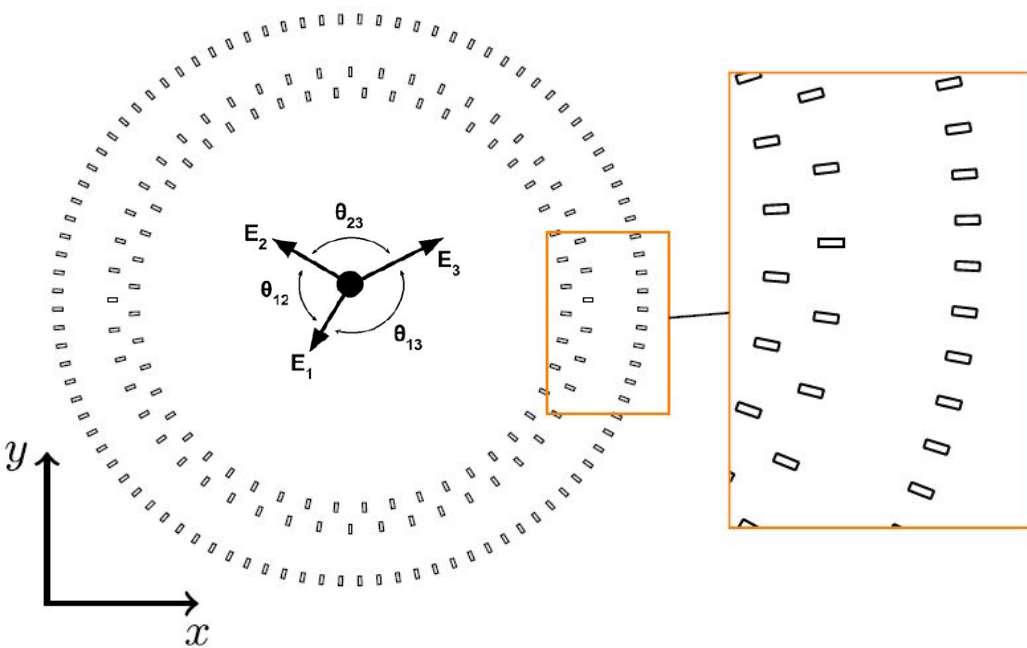


**A feasibility study of ortho-positronium decays measurement with the J-PET scanner based on plastic scintillators**

Eur. Phys. J. C (2016) 76:445

DOI 10.1140/epjc/s10052-016-429

# Detector performance: energy resolution (o-Ps)

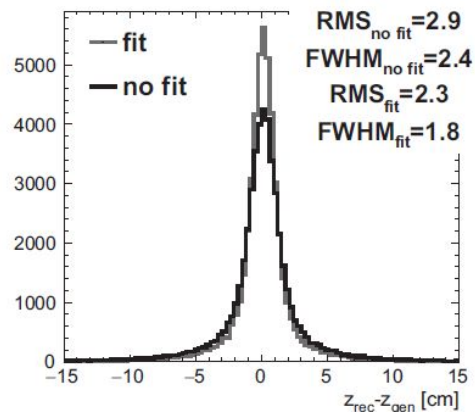
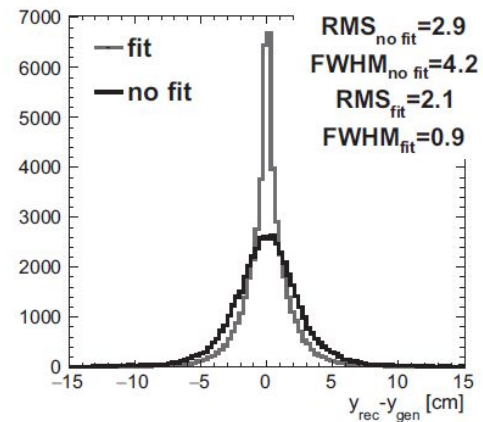
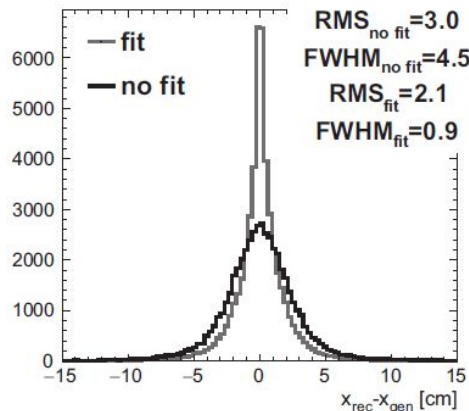
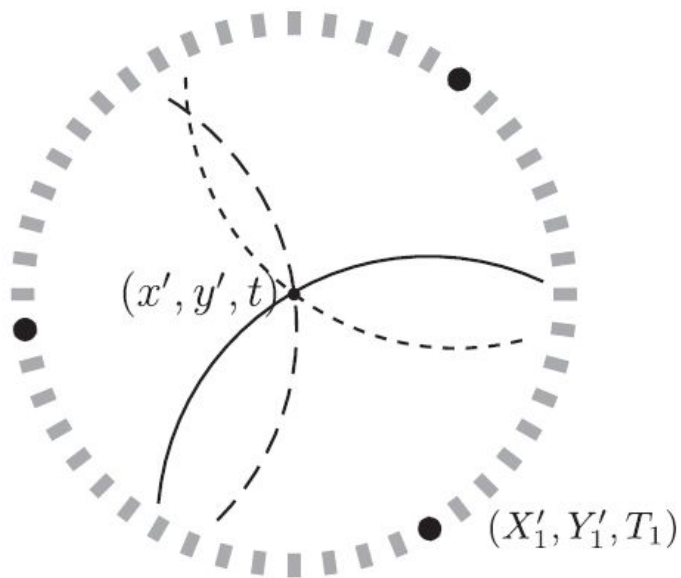


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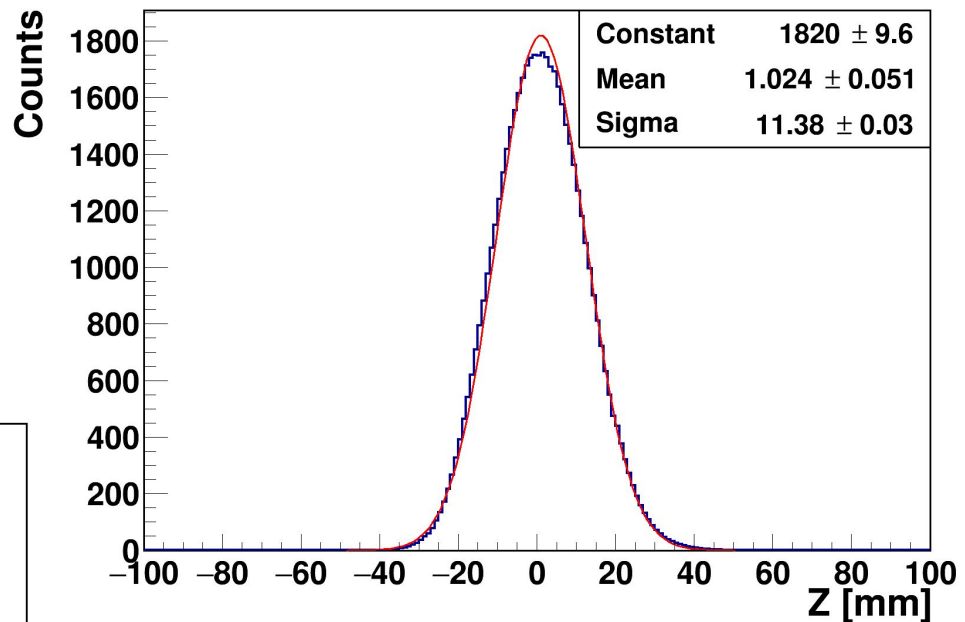
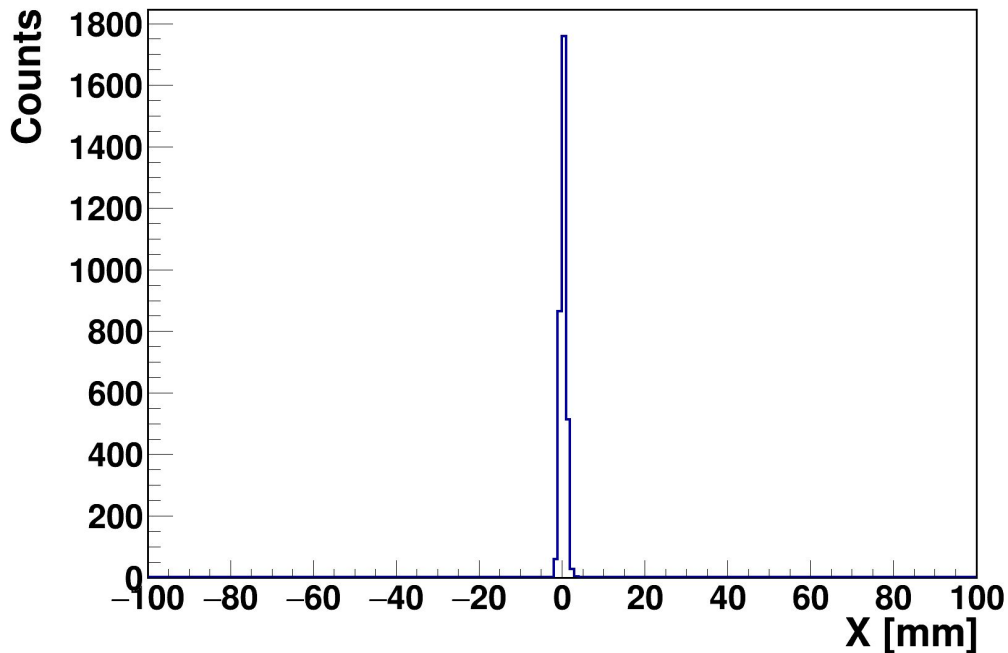
# Detector performance: spatial resolution (o-Ps)



**Trilateration-based reconstruction of  
ortho-positronium decays into three photons with  
the J-PET detector**



# Detector performance: spatial resolution (p-Ps)

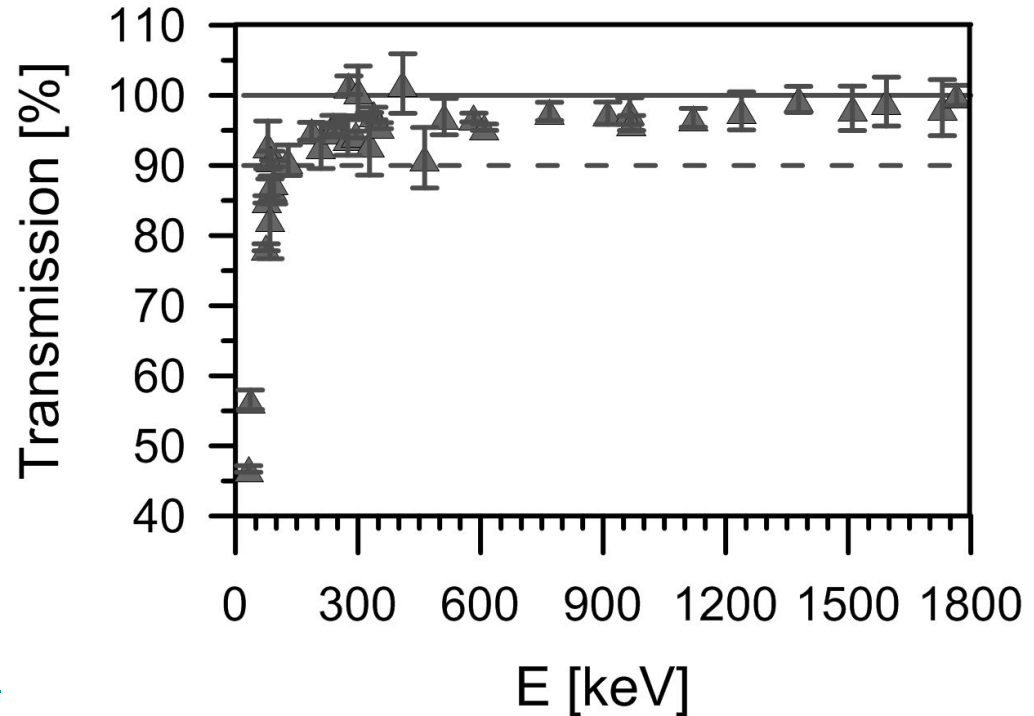


Resolution in XY in the order of  
source size (2-3 mm)  
Resolution in Z  $\sim 1.2$  cm

Preliminary Studies of J-PET Detector Spatial  
Resolution

[Acta Phys. Polon. A 132, no. 5, 1645 \(2017\)](#)

# Transmission of gammas through aluminium



# Search for forbidden p-Ps $\rightarrow 3\gamma$ decay

## Simulations:

$$d\Gamma_S^{3\gamma} = \frac{g^2 \Gamma_s^{2\gamma}}{8\alpha^2 (2\pi)^6} (\omega_1 \omega_2 \omega_3)^3 (\Sigma s_i)^2 \left[ \sum_{1 \rightarrow 2 \rightarrow 3} \left( \frac{1}{2} - \omega_3 \right)^2 (\omega_1 - \omega_2)^2 \right] d\theta_{12} d\theta_{13} d\Omega_1 d\varphi_1,$$

forbidden p-Ps  $\rightarrow 3\gamma$

$$\Gamma_S^{3\gamma} = \frac{g^2 \Gamma_s^{2\gamma}}{64\alpha^2 (\pi)^4} \int_0^{1/2} d\omega \int_{1/2-\omega_1}^{1/2} (\omega_1 \omega_2 \omega_3)^2 (\Sigma s_i)^2 \left[ \sum_{1 \rightarrow 2 \rightarrow 3} \left( \frac{1}{2} - \omega_3 \right)^2 (\omega_1 - \omega_2)^2 \right] d\omega_2$$

*P. Mills, S. Berko, Phys. Rev. Lett. 18, 420 (1967)*

$$d\sigma_{3\gamma} = \frac{(2\pi)^2 |M_{fi}|^2}{4I} \delta(k_1 + k_2 + k_3) \delta(\omega_1 + \omega_2 + \omega_3 - 2m) \frac{d^3 k_1 d^3 k_2 d^3 k_3}{(2\pi)^9 2\omega_1 2\omega_2 2\omega_3}$$

assuming that the decay rate  $\Gamma_S^{3\gamma}$  and the cross-section are proportional...

amplitude for p-Ps  $\rightarrow 3\gamma$

$$|M_{fi}|^2 = C (\omega_1 \omega_2 \omega_3)^2 (s_1 + s_2 + s_3)^2 \cdot$$

$$\cdot \left[ (m - \omega_3)^2 (\omega_1 - \omega_2)^2 + (m - \omega_1)^2 (\omega_2 - \omega_3)^2 + (m - \omega_2)^2 (\omega_3 - \omega_1)^2 \right]$$

E-p conservation laws

$$-p_i = p_j \cos \theta_{ij} + p_k \cos \theta_{ik} \quad \cos \theta_{13} = \frac{p_2^2 - p_1^2 - p_3^2}{2p_1 p_3},$$

$$E_1 + E_2 + E_3 = 2m. \quad \cos \theta_{23} = \frac{p_1^2 - p_2^2 - p_3^2}{2p_2 p_3}$$